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## Introduction

A complete description of nucleonic structure requires:

• quark and gluon distribution functions

quark fragmentation functions

(a) leading twist and (a) NLO (  $k_T$  dependence)

## Phase space for Drell-Yan processes



Drell-Yan Asymmetries —  $\bar{p}p \rightarrow \mu^+ \mu^- X$ 

 $\frac{1}{\sigma}\frac{d\sigma}{d\Omega} = \frac{3}{4\pi}\frac{1}{\lambda+3}\left(1+\lambda\cos^2\theta+\mu\sin^2\theta\cos\varphi+\frac{\nu}{2}\sin^2\theta\cos2\varphi\right)$ 

NLO pQCD:  $\lambda \sim 1$ ,  $\mu \sim 0$ ,  $\upsilon \sim 0$  (including resummation<sup>[2]</sup>) Lam-Tung sum rule:  $1 - \lambda = 2\nu$ Experimental data <sup>[1]</sup>:  $\upsilon \sim 30$  % - Can be interpreted by ISI <sup>II</sup> J.S.Conway et al., Phys. Rev. D39 (1989) 92. <sup>II</sup> D. Boer et al., Phys. Rev. D74 (2006) 014004.

> υ involves transverse spin effects at leading twist <sup>[2]</sup> If unpolarised DY σ is kept differential on  $k_T$ , cos2φ contribution to angular distribution provide:  $\hbar_1^{\iota}(x_{2,\kappa_{\iota}}^2) \approx \overline{h}_1^{\iota}(x_{1,\kappa_{\iota}}^{\iota})$

<sup>[2]</sup> D. Boer et al., Phys. Rev. D60 (1999) 014012.

### Unpolarised Drell-Yan Asymmetries

#### GeV/c<sup>2</sup> 40*K* € ++ 0.5 ++ \*\* 00, J/w +4 10 5 1.0 etry Counts/0.1 GeV/c<sup>2</sup> 10 Target quark/antiquark, x<sub>2</sub> tion 0.8 10 1×4.1× 10<sup>2</sup> 0.6 10 **'C** 1 $\tau = 0.4$ 0.4 2 0.2 < $\tau = 0.2$ 0.2 2 GeV/c error bars allo $\tau = 0.05$ • small asymn 0.8 1.0 0.6 0.2 0.4 • their depend Beam antiquark / quark, x 0.6 0.7 <sup>[1]</sup>A. Bianconi and M. Xp

 $\bar{p} p \rightarrow \mu^+ \mu^- X$ 

## Drell-Yan Asymmetries — $\bar{p} p \rightarrow \mu^+ \mu^- X$





At higher energy (  $s \sim 200 \text{ GeV}^2$ ) perturbative corrections<sup>[1]</sup> are sensibly smaller in the safe region

<sup>[1]</sup>H. Shimizu et al., Phys. Rev. D71 (2005) 114007

## Unpolarised Drell-Yan — $\bar{p} p \rightarrow \mu^+ \mu^- X$



Unpolarised DY cross-section allow the investigation of:

- limits of the factorisation and perturbative approach
- relation of perturbative and not perturbative dynamics in hadron scattering
- <sup>[1]</sup>H. Shimizu et al., Phys. Rev. D71 (2005) 114007

# Benchmark channel: DY @ 14 GeV/c — $\bar{p}p \rightarrow \mu^+ \mu^- X$



## Barrel and endcap segmentation



Background: dipions with the dimuon kinematics

## Barrel rejection power



## Muons partners of those surviving the barrel



## Background simulation with PYTHIA



## Background and signal kinematics



#### In both cases statistics accumulates in the low IM region



### Kinematical cuts are problematic due to statistics loss



## Work in progress

- complete background studies simulation
- considering a revised geometry with an enlarged endcap (more Fe-equivalent)
- figuring out requirements in the dipole sector?



### Spin physics @ PANDA?

 $\frac{\text{UNPOLARISED DY}}{\cos(2\phi) \text{ asymmetry}^{[1]}} \stackrel{2}{\Rightarrow} h_{1}^{\iota}(x_{2}, \kappa_{\iota}^{2}) \times \overline{h}_{1}^{\iota}(x_{1}, \kappa_{\iota}^{\iota})$ 

### Unpolarised cross section

<sup>[2]</sup> D. Boer et al., Phys. Rev. D60 (1999) 014012.

### ANTIPROTONS!!

DY azimuthal asymmetries not suppressed by nonvalence-like contributions.

## DETECTOR STUDIES IN PROGRESS

### Question time





Ideal because:

 h<sub>1</sub> not to be unfolded with fragmentation functions

• chirally odd functions not suppressed (like in DIS)







lepton plane (cm)

Collins-Soper frame: <sup>[1]</sup>Phys. Rev. D16 (1977) 2219.

Drell-Yan Asymmetries —  $\bar{p} p^{\uparrow} \rightarrow \mu^{+} \mu^{-} X$  $\frac{1}{\sigma}\frac{\mathrm{d}\sigma}{\mathrm{d}\Omega} \propto \left(1 + \cos^2\theta + \frac{\nu}{2}\sin^2\theta\cos^2\varphi + \rho|S_{1T}|\sin^2\theta\sin(\varphi - \varphi_{S_1}) + \cdots\right)$  $\lambda \sim 1, \mu \sim 0$  $\tau = |S_{1T}| \frac{2 \sin 2 \hat{\Theta} \sin(\varphi - \varphi_{S_1})}{1 + \cos^2 \theta} \frac{M}{\sqrt{2}}$ 

Even unpolarised  $\bar{p}$  beam on polarised p, or polarised  $\bar{p}$  on unpolarised p are powerful tools to investigate  $\kappa_{\rm T}$  dependence of QDF D. Boer et al., Phys. Rev. D60 (1999) 014012. Drell-Yan Asymmetries —  $\bar{p}^T p^T \rightarrow \mu^+ \mu^- X$ 

RHIC energies:  $\sqrt{s}=100 \text{ GeV}$   $M^2=100 \implies \tau \le 10^{-2} \implies \text{small } x_1 \text{ and/or } x_2$  $h_1^a(x,Q^2)$  evolution much slower<sup>[1]</sup> than  $\Delta q(x,Q^2)$  and  $q(x,Q^2)$  at small x

 $A_{TT}$  @ RHIC very small, smaller  $\sqrt{S}$  would help<sup>[1]</sup>



## Drell-Yan Asymmetries — $\bar{p}^T p^T \rightarrow \mu^+ \mu^- X$ $\sum e_{q}^{2} \left| h_{1q}^{\bar{p}}(x_{1}) h_{1\bar{q}}^{p}(x_{2}) + h_{1\bar{q}}^{\bar{p}}(x_{1}) h_{1q}^{p}(x_{2}) \right|$ $\sum e_{a}^{2} h_{1q}^{p}(x_{1}) h_{1q}^{p}(x_{2})$ $\sum_{q} e_{q}^{2} \Big[ q^{\bar{p}}(x_{1}) \bar{q}^{p}(x_{2}) + \bar{q}^{\bar{p}}(x_{1}) q^{p}(x_{2}) \Big] \xrightarrow{i}_{\text{large x}} \hat{a}_{\text{TT}} \frac{q}{\sum_{q} e_{q}^{2} q^{p}(x_{1}) q^{p}(x_{2})}$ $A_{TT} = \hat{a}_{TT} - \hat{a}_{TT}$ A<sub>TT</sub> still small @ large $\sqrt{S}$ and M<sup>2</sup> due to slow evolution of $h_1^a(x,Q^2)$ Large $A_{TT}$ expected<sup>[1]</sup> for $\sqrt{S}$ and M<sup>2</sup> not too large and $\tau$ not too small Arr<sup>pp</sup>/arr Assuming<sup>[1]</sup> $h_{1q}(x,Q_0^2) = \Delta q(x,Q_0^2) \otimes Q_0^2 = 0.23 (GeV/c)^2$ 0.3



HESR: 
$$s_{max} = 30 \div 45 \text{ GeV}^2$$
  
 $M^2 \ge M_{J/\psi}^2 \longrightarrow \tau \ge 0.3$   
 $A_{TT}$  direct access  
to valence quark  $h_1$   
 $h_{1q_v}(x_1) \times h_{1q_v}(x_2)$ 

## Angular distribution in CS frame



Conway et al, Phys. Rev. D39 (1989) 92

• 30% asymmetry observed for  $\pi^{-}$ 

### Angular distributions for $\bar{p}$ and $\pi - \pi - N$ , $\bar{p}N @ 125 \text{ GeV/c}$



### Transverse Single Spin Asymmetries



• DY-SSA (A<sub>T</sub>) possible only @ RHIC, p<sup>†</sup>p-scattering:  $\sigma_{\bar{p}p}^{DY}$  @ smaller s >>  $\sigma_{pp}^{DY}$  @ large s